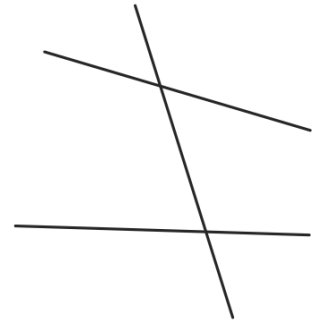
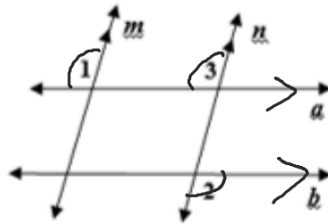


Given:  $m \parallel n$   
 $\angle 1 \cong \angle 2$

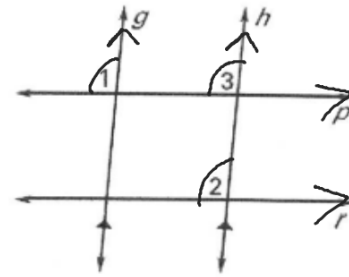
Prove:  $a \parallel b$



| Statements                   | Reasons                                       |
|------------------------------|---|
| 1. $m \parallel n$           | 1. Given                                      |
| 2. $\angle 1 \cong \angle 3$ | 2. Corresponding $\angle$ 's $\cong$          |
| 3. $\angle 1 \cong \angle 2$ | 3. Given                                      |
| 4. $\angle 3 \cong \angle 2$ | 4. Substitution prop.                         |
| 5. $a \parallel b$           | 5. Converse of Alternate Exterior $\angle$ 's |

3. **GIVEN:**  $g \parallel h$ ,  $\angle 1 \cong \angle 2$   
**PROVE:**  $p \parallel r$

| Statements                                     | Reasons                                   |
|--|---|
| 1. $g \parallel h$ , $\angle 1 \cong \angle 2$ | 1. Given                                  |
| 2. $\angle 1 \cong \angle 3$                   | 2. Corresponding $\angle$ 's $\cong$      |
| 3. $\angle 2 \cong \angle 3$                   | 3. Substitution                           |
| 4. $p \parallel r$                             | 4. Converse of Corresponding $\angle$ 's. |

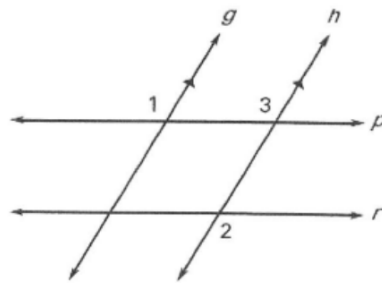


9. **GIVEN:**  $g \parallel h$ ,  $\angle 1 \cong \angle 2$

**PROVE:**  $p \parallel r$

Statements

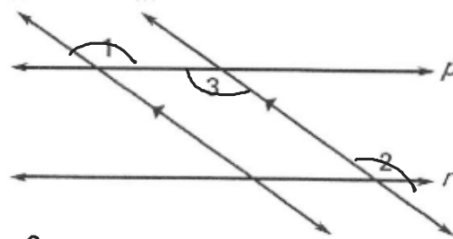
Reasons



10. GIVEN:  $n \parallel m$ ,  $\angle 1 \cong \angle 2$

PROVE:  $p \parallel r$

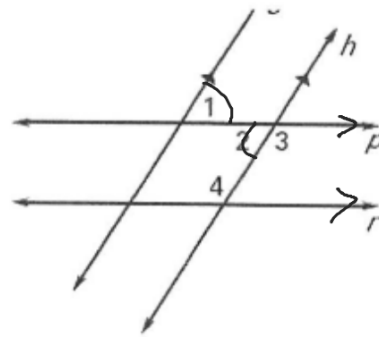
| Statements                                     | Reasons                                    |
|--|--|
| 1) $n \parallel m$ , $\angle 1 \cong \angle 2$ | 1) Given                                   |
| 2) $\angle 1 \cong \angle 3$                   | 2) Alternate Int $\angle$ 's               |
| 3) $\angle 2 \cong \angle 3$                   | 3) Substitution prop                       |
| 4) $p \parallel r$                             | 4) Converse Alternate Interior $\angle$ 's |



11. GIVEN:  $g \parallel h$ ,  $\angle 1$  and  $\angle 4$  are supplementary

PROVE:  $p \parallel r$

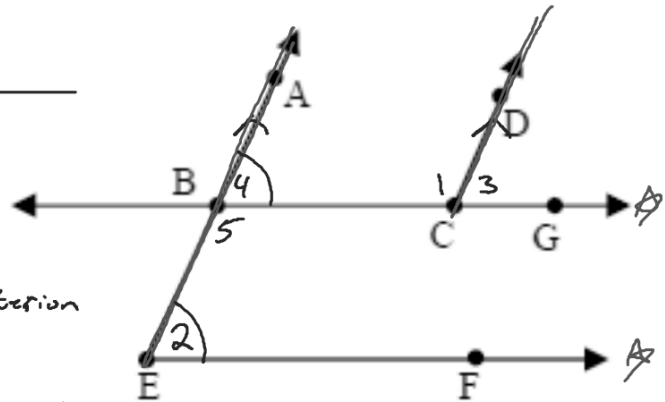
| Statements   | Reasons                           |
|--|-----------------------------------|
| 1) $g \parallel h$ , $\angle 1$ and $\angle 4$ are Supplementary | 1) Given                          |
| 2) $\angle 1 \cong \angle 2$                                     | 2) Alternate Interior $\angle$ 's |
| 3) $m\angle 1 + m\angle 4 = 180$                                 | 3) Def of Supp. $\angle$ 's       |
| 4) $m\angle 2 + m\angle 4 = 180$                                 | 4) Substitution prop.             |
| 5) $\angle 2$ and $\angle 4$ are SUPP                            | 5) Def of Supp $\angle$ 's        |
| 6) $p \parallel r$   | 6) Converse of Same-Side-Interior |



Given:  $m\angle BCD + m\angle BEF = 180^\circ$ ,  $\overline{AB} \parallel \overline{DC}$

Prove:  $\overline{BC} \parallel \overline{EF}$

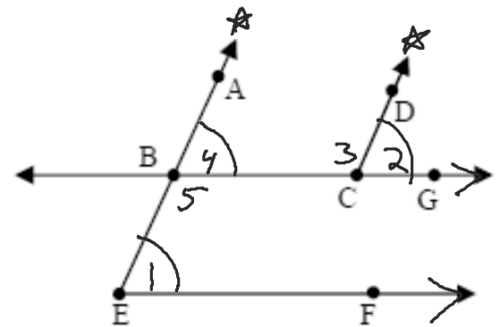
| Statement   | Reason                               |
|---|--------------------------------------|
| 1) $m\angle 1 + m\angle 2 = 180$<br>$\overline{AB} \parallel \overline{DC}$ | 1) Given                             |
| 2) $\angle 1 + \angle 4$ are<br>Supp  | 2) Same side Interior<br>$\angle$ 's |
| 3) $\angle 2 \cong \angle 4$  | 3) Congruent Supplement<br>theorem.  |



$$m\angle 1 + m\angle 4 = 180$$

$$m\angle 1 + m\angle 2 = m\angle 1 + m\angle 4$$

Given:  $\overline{BC} \parallel \overline{EF}$ ,  $\angle BEF \cong \angle DCG$   
 Prove:  $\overline{AB} \parallel \overline{DC}$



| Statement   | Reason                                   |
|---|--|
| 1) $\overline{BC} \parallel \overline{EF}$<br>$\angle 1 \cong \angle 2$ | 1) Given                                 |
| 2) $\angle 1 \cong \angle 4$  | 2) Corresponding $\angle$ 's             |
| 3) $\angle 2 \cong \angle 4$  | 3) Substitution                          |
| 4) $\overline{AB} \parallel \overline{DC}$                              | 4) Converse of Corresponding $\angle$ 's |

Given:  $l \perp n$ ,  $m \perp n$

Prove:  $\angle 3$  and  $\angle 6$  are supplementary

